

Jet tomography studies in AuAu collisions at RHIC energies

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Abstract. Recent RHIC results on pion production in $AuAu$ collision at $\sqrt{s} = 130$ and 200 AGeV display a strong suppression effect at high p_T . This suppression can be connected to final state effects, namely jet energy loss induced by the produced dense colored matter. Applying our pQCD-based parton model we perform a quantitative analysis of the measured suppression pattern and determine the opacity of the produced deconfined matter.

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1 Introduction

The experimental data on high- p_T π^0 production in central $AuAu$ collisions at mid-rapidity at $\sqrt{s} = 130$ and 200 AGeV have shown a strong suppression compared to binary scaled pp data [1,2]. This suppression vanishes with increasing centrality and no effect appears in peripheral $AuAu$ collisions. Thus a detailed quantitative analysis of the suppression pattern (“*jet tomography*” [3]) yields information about the properties of the produced dense matter and the impact parameter dependence of the formation of deconfined matter in $AuAu$ collisions. Recent data on dAu collisions [4,5] validate our effort: since no suppression was found at mid-rapidity in the dAu reaction, initial state effects (e.g. a strong modification in the internal parton structure of the accelerated Au nuclei) can not be responsible for the measured suppression in $AuAu$ collisions. Thus, induced jet-energy loss in the final state becomes a strong candidate to explain the missing pion yield. Jet energy loss can be calculated in a perturbative quantum chromodynamics (pQCD) frame [6,7].

We investigate jet energy loss in a pQCD improved parton model. In Sect. 2 we introduce the basis of our model, especially a phenomenological intrinsic transverse momentum distribution (intrinsic k_T) for the colliding nucleons, which is necessary to reach a better agreement between data and calculations in pp collisions [8,9,10,11]. For nucleus-nucleus (AA) collisions, initial state effects are considered, e.g. nuclear multiple scattering, saturation in the number of semihard collisions, and a weak shadowing effect inside the nucleus [9,10]. In Sect. 3 we summarize

the description of induced gluon radiation in thin non-Abelian matter and include the GLV-description [7] of energy loss into the pQCD improved parton model. This way our model becomes capable to extract the opacity values of the produced colored matter at different centralities. In Sect. 4 we discuss the obtained results.

2 Initial state effects in AuAu collisions

The invariant cross section of pion production in an AA' collision can be described in a pQCD-improved parton model developed for pp collision and extended by a Glauber-type collision geometry and initial state nuclear effects for AA' collisions as [13,14,12]:

$$\begin{aligned}
 E_\pi \frac{d\sigma_\pi^{AA'}}{d^3p} &= \int d^2b d^2r t_A(r) t_{A'}(|\mathbf{b} - \mathbf{r}|) \frac{1}{s} \sum_{abc} \times \\
 &\times \int_{vw/z_c}^{1-(1-v)/z_c} \frac{d\hat{v}}{\hat{v}(1-\hat{v})} \int_{vw/\hat{v}z_c}^1 \frac{d\hat{w}}{\hat{w}} \int^1 dz_c \times \\
 &\times \int d^2\mathbf{k}_{Ta} \int d^2\mathbf{k}_{Tb} f_{a/A}(x_a, \mathbf{k}_{Ta}, Q^2) f_{b/A'}(x_b, \mathbf{k}_{Tb}, Q^2) \\
 &\times \left[\frac{d\hat{\sigma}}{d\hat{v}} \delta(1-\hat{w}) + \frac{\alpha_s(Q_r)}{\pi} K_{ab,c}(\hat{s}, \hat{v}, \hat{w}, Q, Q_r, \tilde{Q}) \right] \times \\
 &\times \frac{D_c^\pi(z_c, \tilde{Q}^2)}{\pi z_c^2}. \tag{1}
 \end{aligned}$$

Here $t_A(b) = \int dz \rho_A(b, z)$ is the nuclear thickness function normalized as $\int d^2b t_A(b) = A$. For small nuclei we

use a sharp sphere approximation, while for larger nuclei the Wood-Saxon formula is applied.

In our next-to-leading order (NLO) calculation [12], $d\hat{\sigma}/d\hat{v}$ represents the Born cross section of the partonic subprocess and $K_{ab,c}(\hat{s}, \hat{v}, \hat{w}, Q, Q_R, Q_F)$ is the corresponding higher order correction term, see [12,13,14]. We fix the factorization and renormalization scales and connect them to the momentum of the intermediate jet, $Q = Q_R = (4/3)p_q$ (where $p_q = p_T/z_c$), reproducing pp data with high precision at high p_T [15].

The approximate form of the 3-dimensional parton distribution function (PDF) is the following:

$$f_{a/p}(x_a, \mathbf{k}_{Ta}, Q^2) = f_{a/p}(x_a, Q^2) \cdot g_{a/p}(\mathbf{k}_{Ta}). \quad (2)$$

Here, the function $f_{a/p}(x_a, Q^2)$ represents the standard longitudinal NLO PDF as a function of momentum fraction of the incoming parton, x_a at scale Q (in the present calculations we use the MRST(cg)[16] PDFs). The partonic transverse-momentum distribution in 2 dimensions, $g_{a/p}(\mathbf{k}_T)$, is characterized by an “intrinsic k_T ” parameter as in [10,12]. In our phenomenological approach this component is described by a Gaussian function [10,11].

Nuclear multiscattering is accounted for through a broadening of the incoming parton’s transverse momentum distribution function, namely an increase in the width of the Gaussian:

$$\langle k_T^2 \rangle_{pA} = \langle k_T^2 \rangle_{pp} + C \cdot h_{pA}(b). \quad (3)$$

Here, $\langle k_T^2 \rangle_{pp} = 2.5 \text{ GeV}^2$ is the width of the transverse momentum distribution of partons in pp collisions [10,15], $h_{pA}(b)$ describes the number of *effective* NN collisions at impact parameter b , which impart an average transverse momentum squared C . The effectivity function $h_{pA}(b)$ can be written in terms of the number of collisions suffered by the incoming proton in the target nucleus. In [10] we have found a limited number of semihard collisions, $\nu_m = 4$ and the value $C = 0.4 \text{ GeV}^2$.

We take into account the isospin asymmetry by using a linear combination of p and n PDFs. The applied PDFs are also modified inside nuclei by the “shadowing” effect [17].

The last term in the convolution of (1) is the fragmentation function (FF), $D_c^\pi(z_c, \tilde{Q}^2)$. This gives the probability for parton c to fragment into a pion with momentum fraction z_c at fragmentation scale $\tilde{Q} = (4/3)p_T$. We apply the KKP parametrization [18].

3 Jet-quenching as a final state effect

The energy loss of high-energy quark and gluon jets traveling through dense colored matter is able to give information on the density of gluons [3]. This non-abelian radiative energy loss $\Delta E(E, L)$ can be described as a function of gluon density: $\bar{n} = L/\lambda_g$, the mean number of jet scatterings, where L is the length traversed by the jet and λ_g is the mean free path in non-abelian dense matter. In

“thin plasma” approximation energy loss in first order is given by the following form [7]:

$$\begin{aligned} \Delta E_{GLV}^{(1)} &= \frac{2C_R\alpha_s}{\pi} \frac{EL}{\lambda_g} \int_0^1 dx \int_0^{k_{max}^2} \frac{d\mathbf{k}_T^2}{\mathbf{k}_T^2} \times \\ &\times \int_0^{q_{max}^2} \frac{d^2\mathbf{q}_T \mu_{eff}^2}{\pi(\mathbf{q}_T^2 + \mu^2)^2} \cdot \frac{2\mathbf{k}_T \cdot \mathbf{q}_T (\mathbf{k} - \mathbf{q})_T^2 L^2}{16x^2 E^2 + (\mathbf{k} - \mathbf{q})_T^4 L^2} \\ &= \frac{C_R\alpha_s}{N(E)} \frac{L^2 \mu^2}{\lambda_g} \log\left(\frac{E}{\mu}\right), \end{aligned} \quad (4)$$

where C_R is the color Casimir of the jet, $\mu/\lambda_g \sim \alpha_s^2 \rho_{part}$ is a transport coefficient of the medium, proportional to the parton density, ρ_{part} . The color Debye screening scale is μ , and λ_g is the radiated gluon mean free path. $N(E)$ is an energy dependent factor with asymptotic value 4.

Considering a time-averaged, static plasma, the average energy loss, ΔE , will modify the argument of the FFs:

$$\frac{D_{\pi/c}(z_c, \tilde{Q}^2)}{\pi z_c^2} \rightarrow \frac{z_c^*}{z_c} \frac{D_{\pi/c}(z_c^*, \tilde{Q}^2)}{\pi z_c^2}. \quad (5)$$

Here $z_c^* = z_c/(1 - \Delta E/p_c)$ is the modified momentum fraction.

In Fig. 1 we present our result on pion production in most central (0 – 10%) $AuAu$ collisions at $\sqrt{s} = 200 \text{ AGeV}$. We included all initial and final state effects discussed above and used the opacity value $\bar{n} = 3.5 \pm 0.25$ to reproduce the experimental data.

4 Centrality dependence in AuAu collisions

In the top panel of Fig. 2 we display the nuclear modification factor

$$R_{AA'}(p_T, b) = \frac{1}{N_{bin}} \cdot \frac{E_\pi d\sigma_{\pi}^{AA'}(b)/d^3p}{E_\pi d\sigma_{\pi}^{pp}/d^3p}, \quad (6)$$

(where N_{bin} is the number of binary collisions), as a function of p_T at different impact parameter ranges. The measured suppression is reproduced in the most central collisions with opacity $\bar{n} = 3.5 \pm 0.25$ as it was shown in Fig. 1. Curves with lower values of opacities are shown for comparison to the more peripheral data. Since the centrality 60 – 92% includes non-peripheral events, the obtained $\bar{n} = 1.5$ seems to be a reasonable opacity value for this bin. In the very peripheral case the opacity should be reduced to a small value [19], however $\pm 20\%$ error on the nuclear modification factor does not allow more detailed investigation. A more quantitative analysis can be performed, when data will be available with smaller error bars. At higher precision, the geometry of the hot overlap zone can be included and a more detailed analysis of the impact parameter dependence can be accomplished. In this case the properties of the produced hot matter will be studied in a more quantitative way.

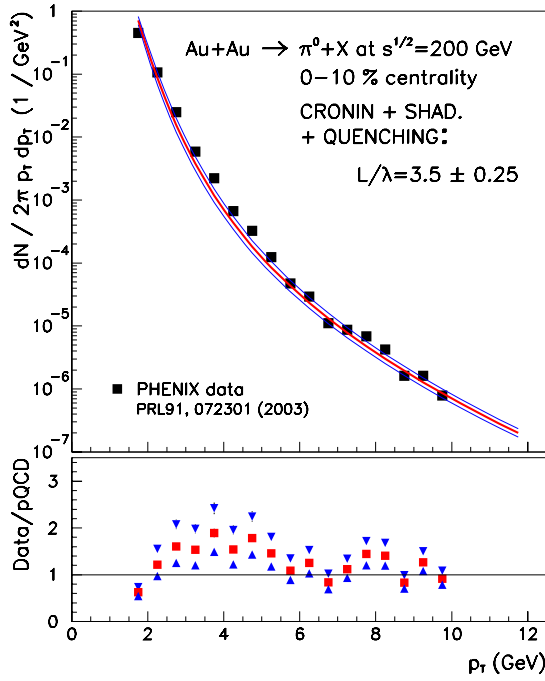


Fig. 1. Pion production in central Au+Au collision with the calculated opacities $\bar{n} = 3.5 \pm 0.25$ (*upper panel*). Data are from PHENIX Collaboration [1]. The *lower panel* displays a comparison between the data and the calculations

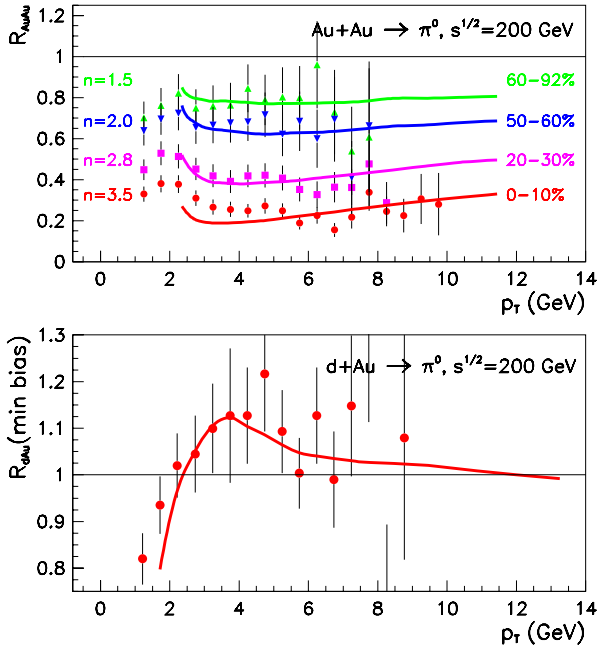


Fig. 2. *Upper panel* displays the pion production in Au+Au collision in different centrality bins with the calculated opacities. Data are from PHENIX Collaboration [1]. *Lower panel* shows the pion production in dAu collision [4] and the result of our calculation [15]

In the bottom panel of Fig. 2 the *dAu* data are compared to our calculation [15] to demonstrate the validity of our description for the initial nuclear effects.

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